

Extensible Canonical Process Model Synthesis Applying Formal Interpretation

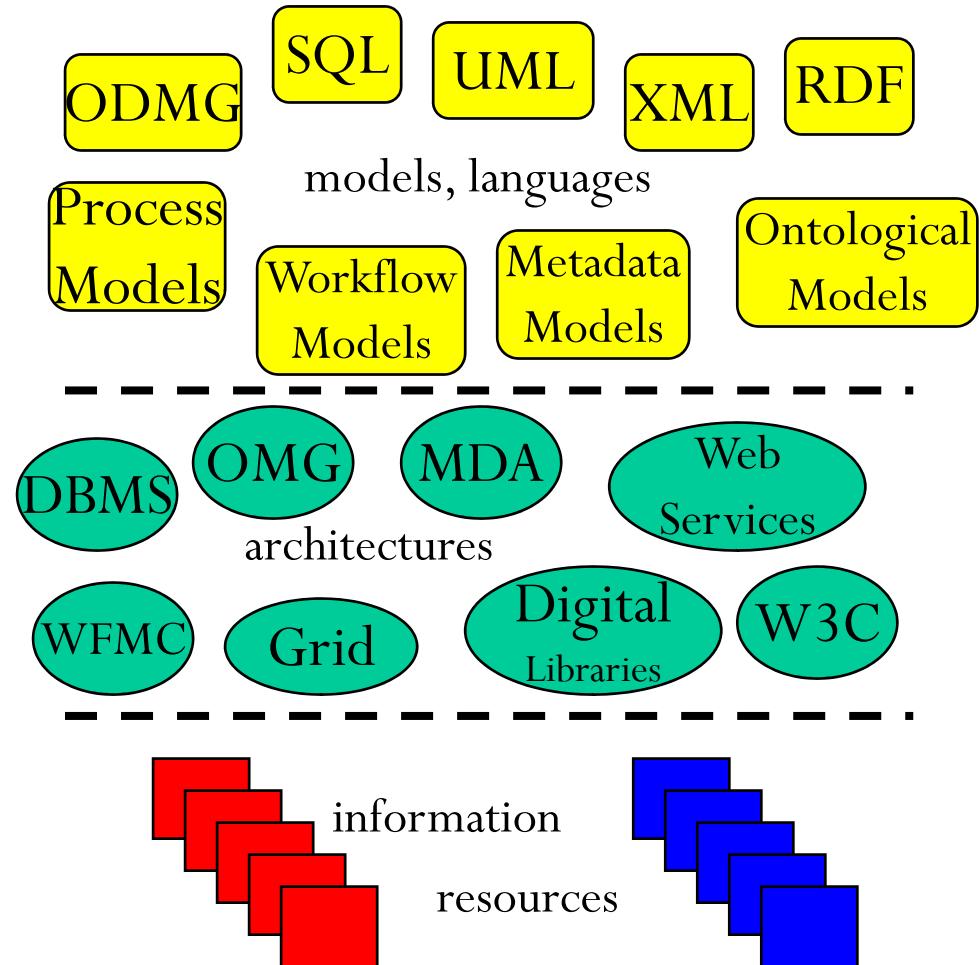
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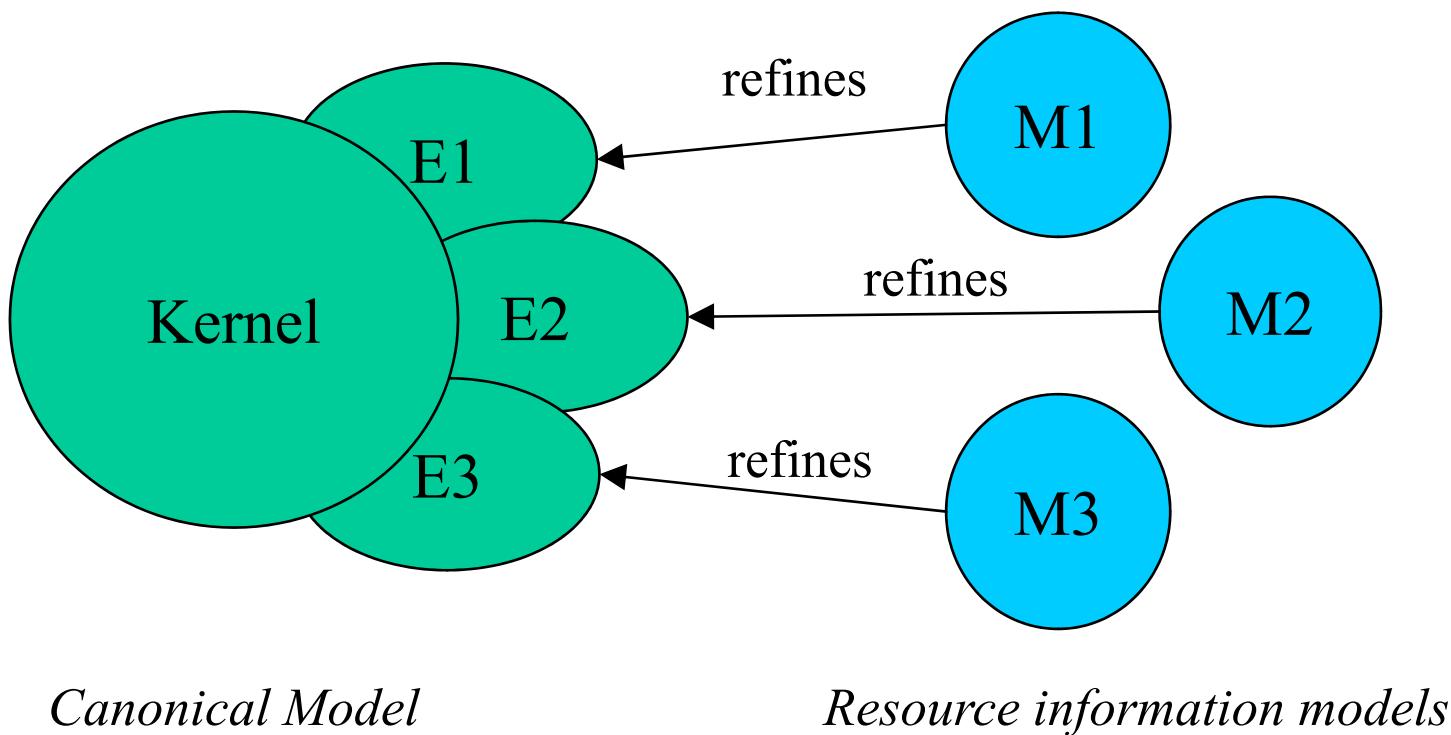
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Motivation for the Creation of the Canonical Information Models

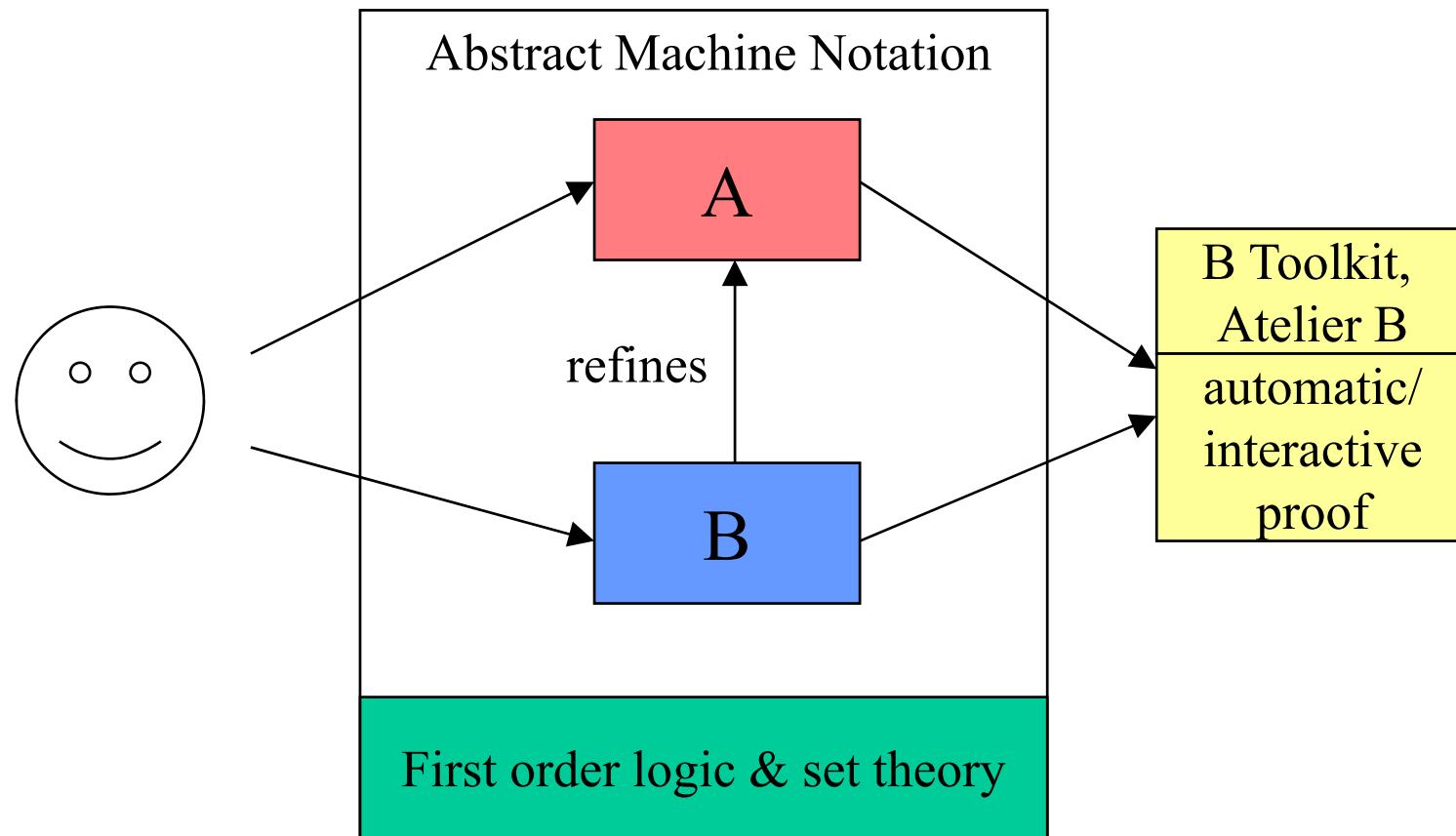
- **diversity of information models**
- **need for integration, reuse and composition of information resources**
- **accumulation of heterogeneous information resources**



Synthesis of the Canonical Model



Refinement Formalization (I)



Refinement Formalization (II)

Type $U = \langle V_U, O_U, I_U \rangle$ is a **refinement** of type $T = \langle V_T, O_T, I_T \rangle$ if

- there exists one-to-one correspondence Ops between O_T and O_U ;
- there exists an abstraction function $Abs: V_U \rightarrow V_T$;
- for every o in O_T there exists an operation $Ops(o) = o'$ in O_U such that o' is a refinement of o :
 - precondition $pre(o)$ imply precondition $pre(o')$;
 - postcondition $post(o')$ imply precondition $post(o)$;

Abstract Machine Notation

- Based on first order predicate logic and Zermelo-Frenkel set theory with axiom of choice;
- allows to consider specifications of state space and behaviour in an integrated way;
- state is introduced by *state variables* together with *invariants*;
- behaviour is introduced by *operations* defined as generalized substitutions – predicate transformers;
- refinement is formalized by formulating *proof obligations*.

Refinement Formalization in AMN

REFINEMENT M	REFINEMENT N
REFINES K	REFINES M
CONSTANTS c_M	CONSTANTS c_N
PROPERTIES P_M	PROPERTIES P_N
VARIABLES v	VARIABLES w
INVARIANT I_M	INVARIANT I_N
INITIALISATION $Init_M$	INITIALISATION $Init_N$
OPERATIONS	OPERATIONS
$y \leftarrow op(x) =$	$y \leftarrow op(x) =$
PRE $Pre_{op,M}$	PRE $Pre_{op,N}$
THEN	THEN
$Def_{op,M}$	$Def_{op,N}$
END	END

Theorem of joint state non-emptiness

$$P_M \wedge P_N \Rightarrow \exists (v,w) (I_M \wedge I_N)$$

Theorem of initialization refinement

$$P_M \wedge P_N \Rightarrow [Init_N] \rightarrow [Init_M] \rightarrow I_N$$

Theorem of operation refinement

$$P_M \wedge P_N \wedge I_M \wedge I_N \wedge Pre_{op,M} \Rightarrow \\ Pre_{op,N} \wedge [Def_{op,N}\{y \rightarrow y'\}] \rightarrow [Def_{op,M}] \rightarrow \\ (I_N \wedge y' = y)$$

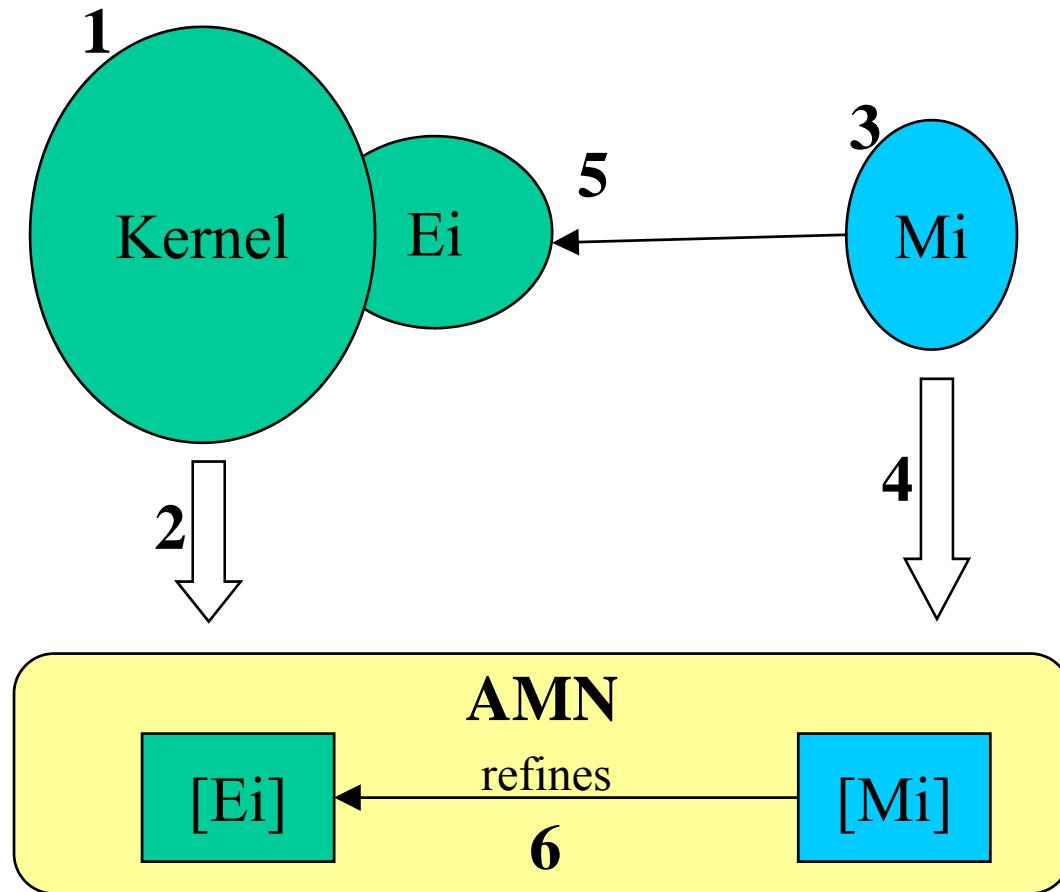
“Operation refinement”

Under the refinement relation and the precondition of the more abstract operation, the precondition of the more concrete operation holds;

For every execution of concrete operation there is a corresponding execution of abstract operation from the same initial state which establishes the same external result values and reestablishes the refinement relation between the post-states.

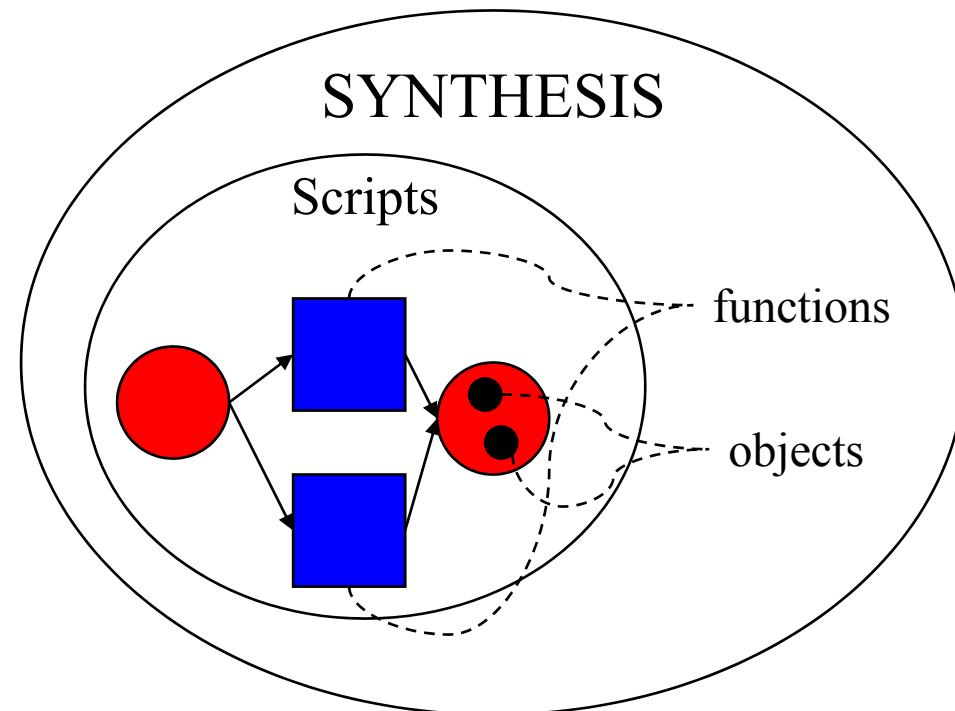
Main Points of the Canonical Process Model (CPM) Synthesis

1. CPM kernel
2. AMN-semantics of kernel
3. source models M_i
4. AMN-semantics of source models
5. extensions E_i and mapping $M_i \rightarrow E_i$
6. $[M_i]$ refines $[E_i]$



Kernel of the Canonical Process Model

- subset of *scripts* of the SYTHESIS language
- based on Petri Nets model
- tokens are objects
- transitions are binded with functions

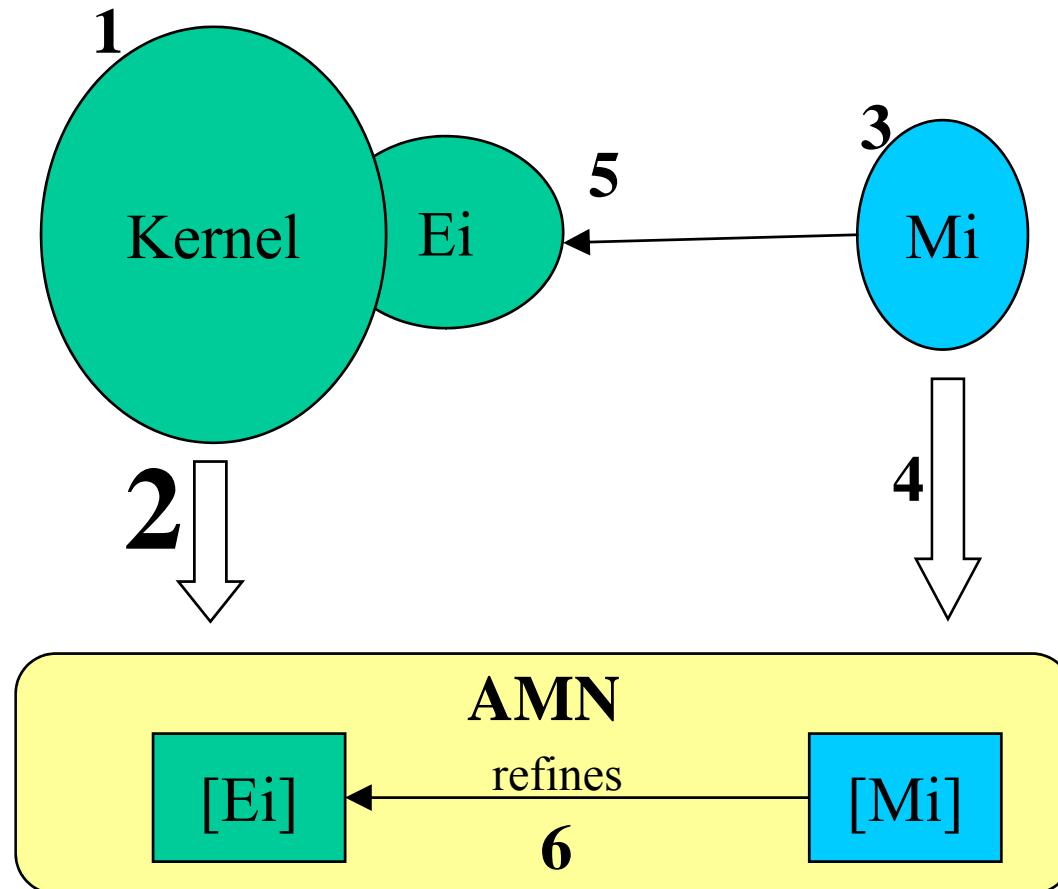


Example of a Script

```
{ discriminator; in: script;
  params: { branch1/function, ... , entrance1TokenType/type, ... };
  states: {entrance1; token: entrance1TokenType;}, ...
  transitions:
    {Branch1;
      from: entrance1; bind_from: {entrance1, in};
      to: auxPlace1; bind_to: {auxPlace1, out};
      activity: {in: function;
        params: {+in/entrance1TokenType, -out/auxPlace1TokenType};
        {{branch1(in, out)}}
      }
    },
    ...
  }
}
```

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AMN-semantics of the CPM Kernel

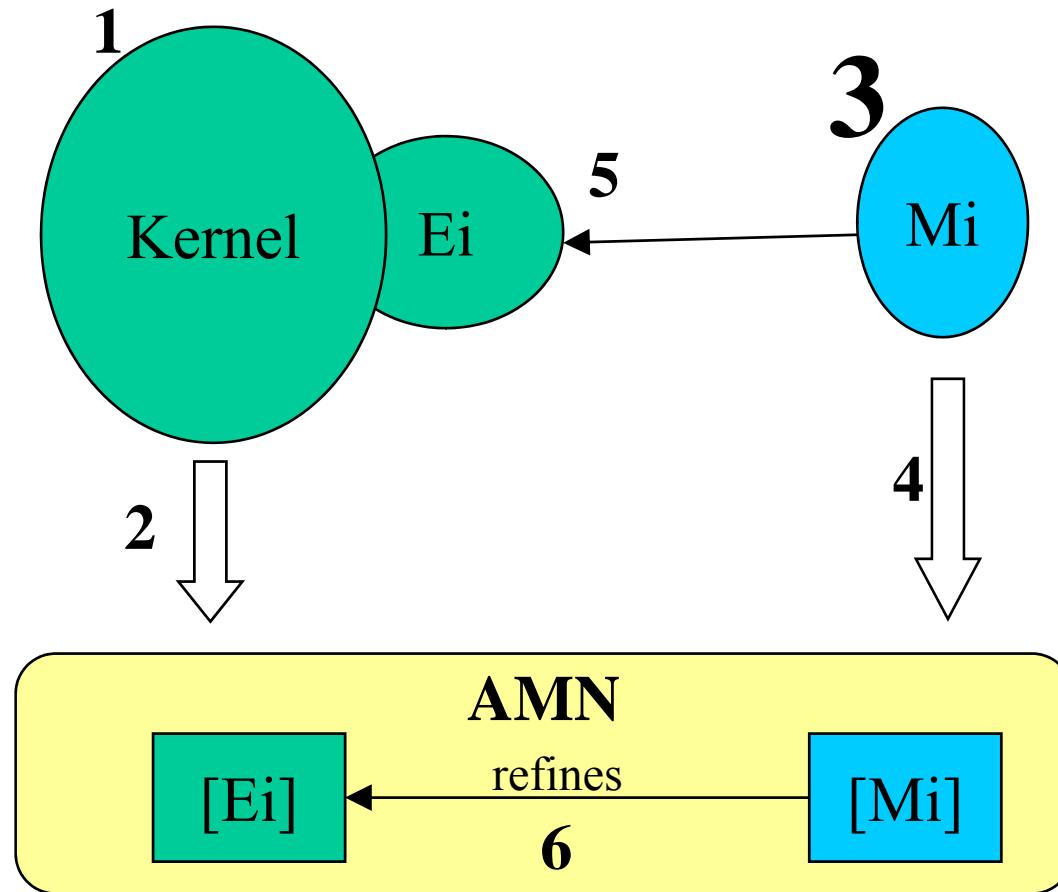
- [Abrial] – Event B
- [Butler] – csp2B: A Practical Approach to Combining CSP and B
- [Treharne, Schneider] – How to Drive a B-machine
- [Butler, Snook] – Verifying Dynamic Properties of UML Models by Translation to the B language and Toolkit
- [Ledang, Souquieres] – Contributions for Modeling UML State-Charts in B

Example: AMN-semantics of the discriminator Script

```
REFINEMENT DiscriminatorScript
SETS Obj
CONSTANTS ext_entrance1TokenType, ...
PROPERTIES ext_entrance1TokenType: POW(Obj) ...
VARIABLES entrance1, ...
INVARIANT entrance1: POW(ext_entrance1TokenType) ...
OPERATIONS
Branch1 =
SELECT #t.(t: entrance1) THEN
  ANY t WHERE t: entrance1 THEN
    entrance1:= entrance1 - {t} ||
    ANY r WHERE r: ext_auxState1TokenType THEN
      auxState1:= auxState1 ∨ {r}
    END
  END
END
...
...
```

Main Points of the Canonical Process Model (CPM) Synthesis

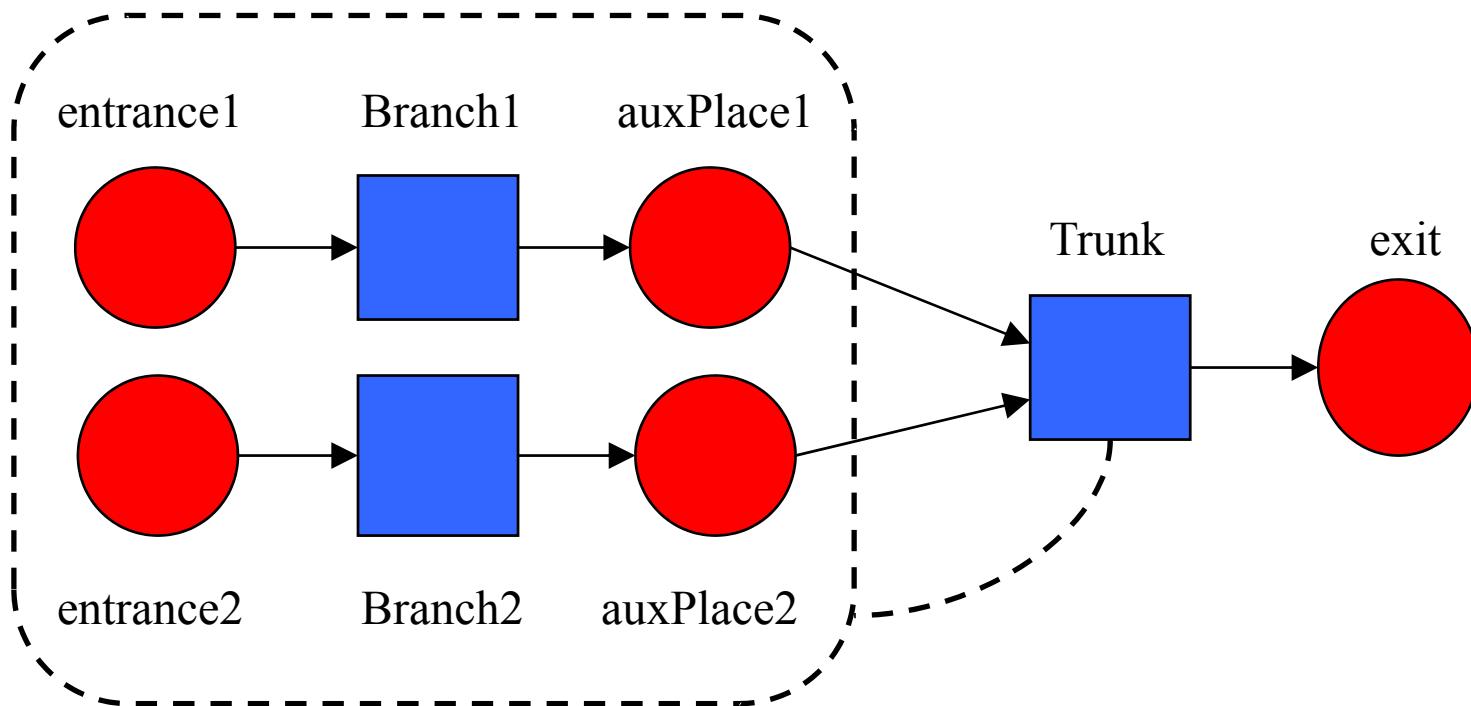
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Source Models

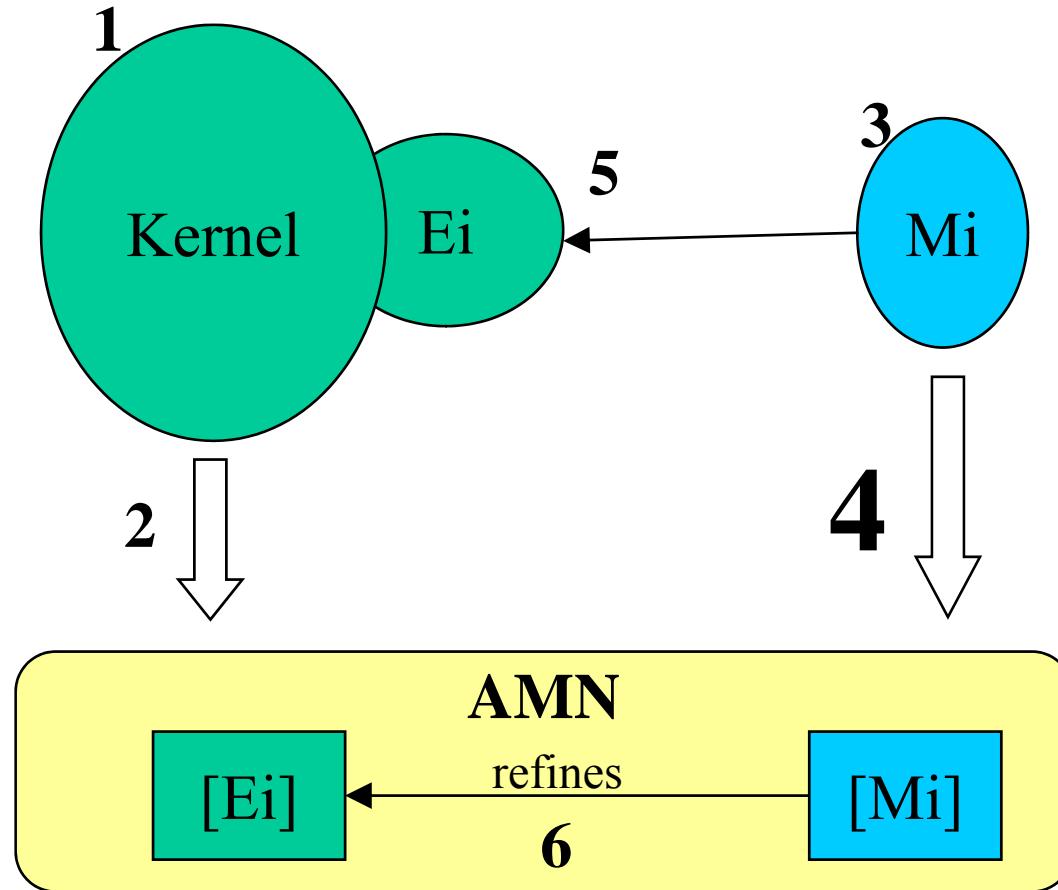
- [van der Aalst, 2003] The analysis of large number of WfMS process models;
- as a result 20 *workflow patterns* were obtained;
- set of workflow patterns is *complete*;
- every pattern is considered as a source model.

An Example of Workflow Pattern: Discriminator



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AMN-semantics of Source Models

- Workflow patterns are defined in YAWL (Yet Another Workflow Language) developed by van der Aalst;
- workflow specification in YAWL is a set of Extended Workflow Nets (EWF-nets), forming a hierarchical tree-like structure;
- EWF-net is a tuple $\langle C, i, o, T, F, \text{join}, \text{split}, \text{rem} \rangle$;
- an appropriate AMN-semantics was defined for YAWL.

Example: AMN-semantics of the Discriminator Pattern

REFINEMENT *Discriminator*

SETS *States* = { *state_enter1*, ... }

VARIABLES *states*, ...

INVARIANT *states*: *States* \rightarrow NAT ...

OPERATIONS

enter_branch1 =

SELECT *exec_branch1*=0 & *states(state_enter1)*>0

THEN

ANY *t* WHERE *t*: *entrance1* THEN

states(state_enter1):= *states(state_enter1)*-1 ||

exec_branch1:= *exec_branch1*+1

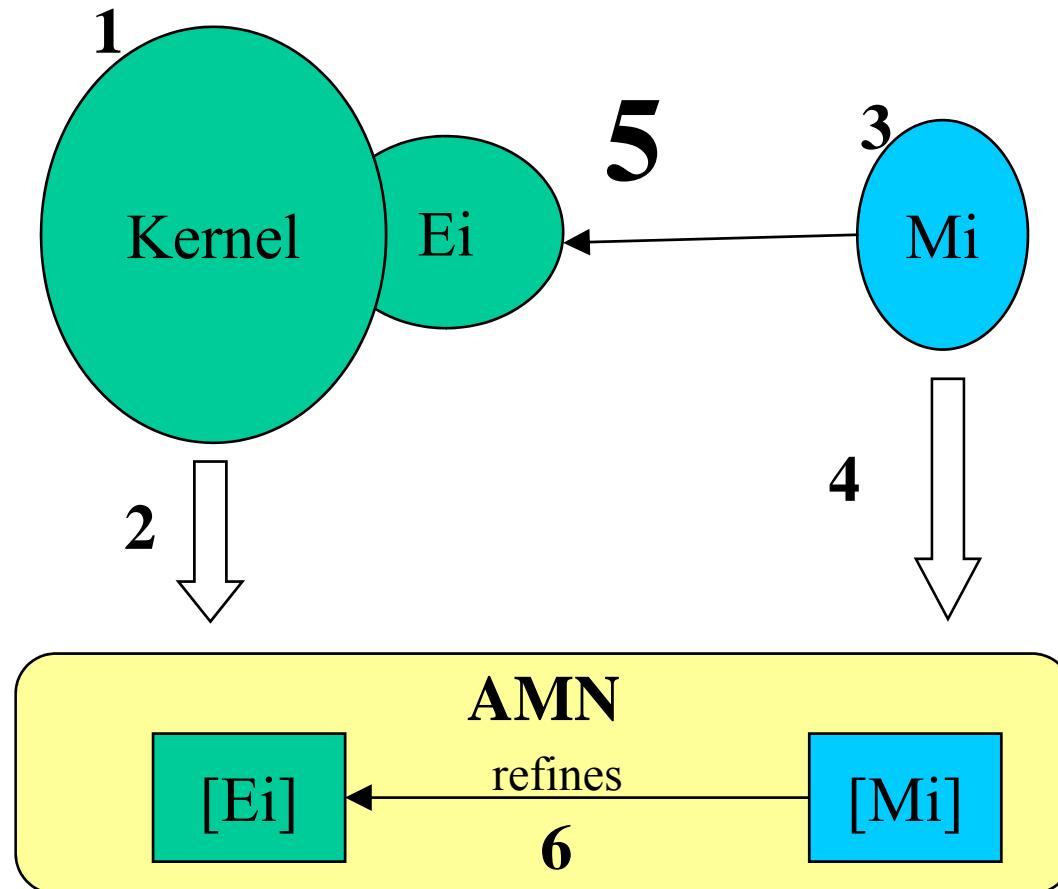
END

END

...

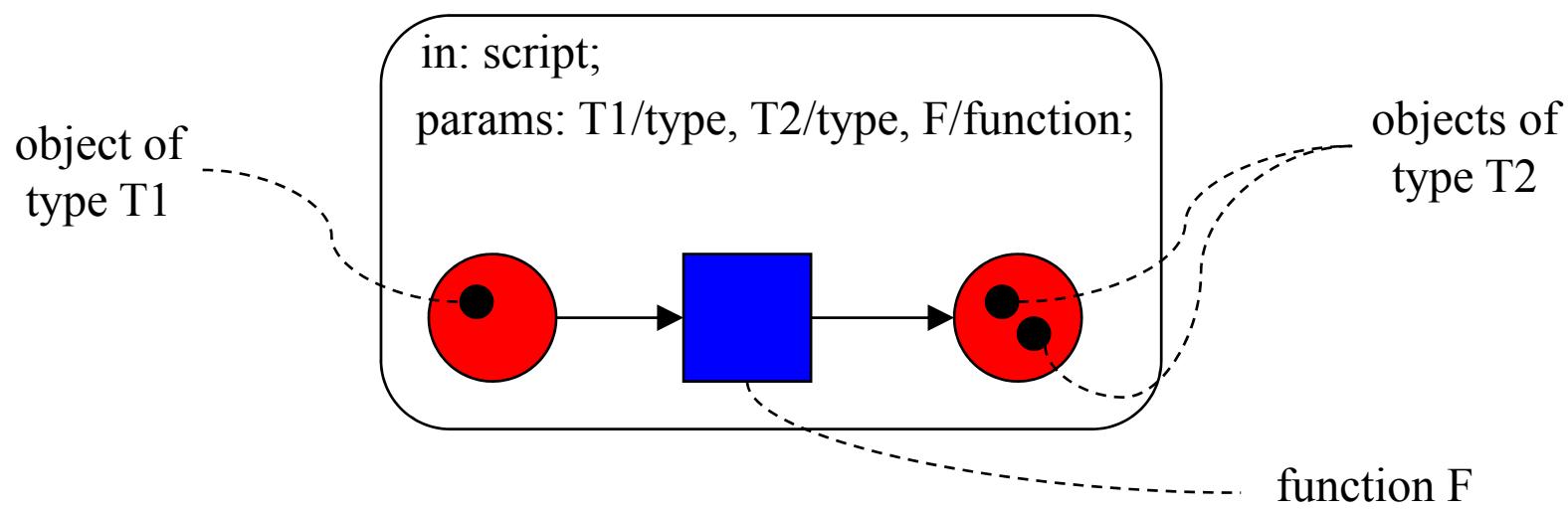
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Extensions of the Kernel

- For every workflow pattern M_i a kernel extension E_i is a generic (parameterized) script type;
- parameters of a script type are *types of the places* and
- *functions binded with the transitions*.

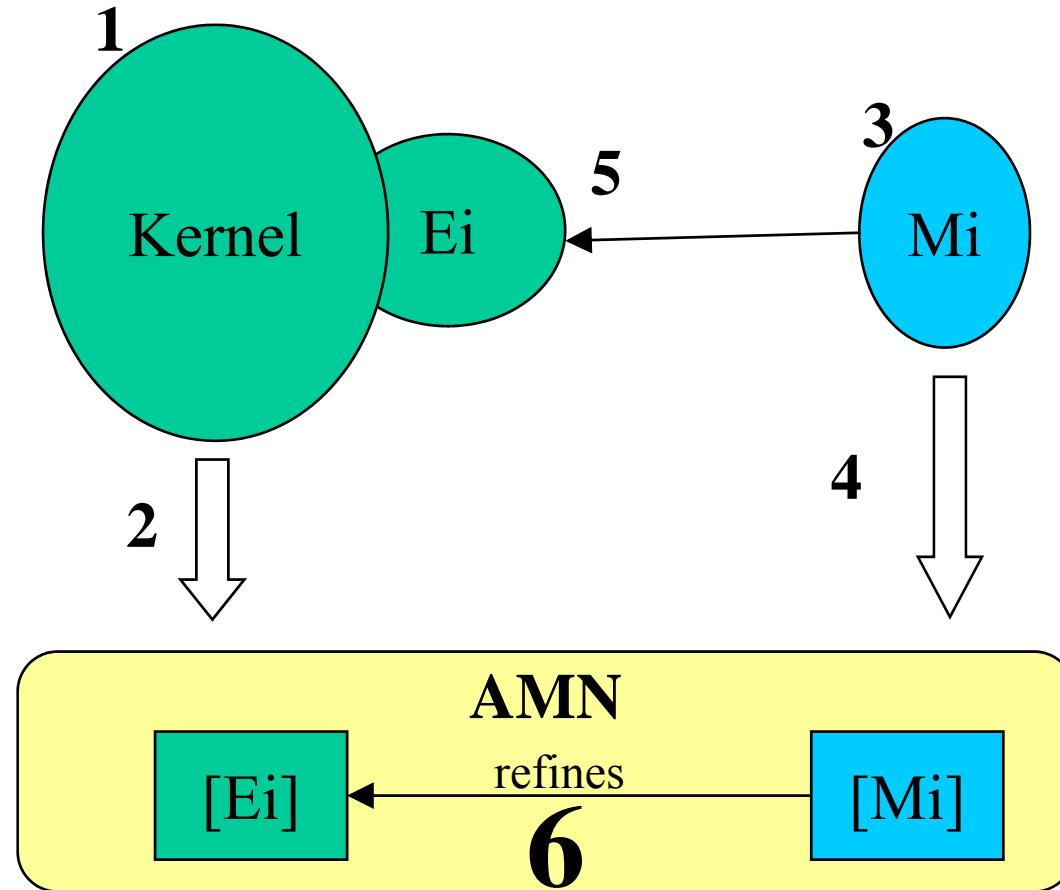


Extension of the Kernel by Discriminator Script

```
{ discriminator; in: script;
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  states: {entrance1; token: entrance1TokenType;}, ...
  transitions:
    {Branch1;
      from: entrance1; bind_from: {entrance1, in};
      to: auxPlace1; bind_to: {auxPlace1, out};
      activity: {in: function;
        params: {+in/entrance1TokenType, -out/auxPlace1TokenType};
        {{branch1(in, out)}}
      }
    },
    ...
  }
}
```

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Statistics for the Proof of Refining Discriminator Script Type by Discriminator Pattern

Kind of theorem	Number of theorems	Number of automatically proved theorems
The theorem of the unified state non-emptiness	1	0
Theorems of the initialisation refinement	6	6
Theorems of refinement for operation <i>enter_branch1</i>	7	5
Theorems of refinement for operation <i>exit_branch1</i>	7	4
Theorems of refinement for operation <i>enter_branch2</i>	7	5
Theorems of refinement for operation <i>exit_branch2</i>	8	5
Theorems of refinement for operation <i>enter_trunk</i>	16	11
Theorems of refinement for operation <i>exit_trunk</i>	13	2
Total number of theorems	65	38

Conclusions

- Canonical process model was synthesized: kernel was chosen and extensions corresponding to 20 workflow patterns were defined;
- the process of extension was formally verified;
- the canonical process model can be used as a basis for the methods of integration, reuse and composition of the heterogeneous process components.